

In 1900

- Matter and energy were seen as different from each other in fundamental ways
- Matter was particles
- Energy could come in waves, with any frequency.
- Max Planck found that the cooling of hot objects couldn't be explained by viewing energy as a wave.

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Energy is Quantized

- Planck found ΔE came in chunks with size $h\nu$
- $\Delta E = nh\nu$
- where n is an integer.
- and h is Planck's constant
- $h = 6.626 \times 10^{-34} \text{ J s}$
- these packets of $h\nu$ are called quantum

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Einstein is next

- Said electromagnetic radiation is quantized in particles called photons
- Each photon has energy $= h\nu = hc/\lambda$
- Combine this with $E = mc^2$
- you get the apparent mass of a photon
- $m = h / (\lambda c)$

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Which is it?

- Is energy a wave like light, or a particle?
- Yes
- Concept is called the Wave-Particle duality.
- What about the other way, is matter a wave?
- Yes

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Matter as a wave

- Using the velocity v instead of the frequency ν we get
- De Broglie's equation $\lambda = h/mv$
- can calculate the wavelength of an object

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Examples

- The laser light of a CD is $7.80 \times 10^2 \text{ m}$. What is the frequency of this light?
- What is the energy of a photon of this light?
- What is the apparent mass of a photon of this light?
- What is the energy of a mole of these photons?

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What is the wavelength?

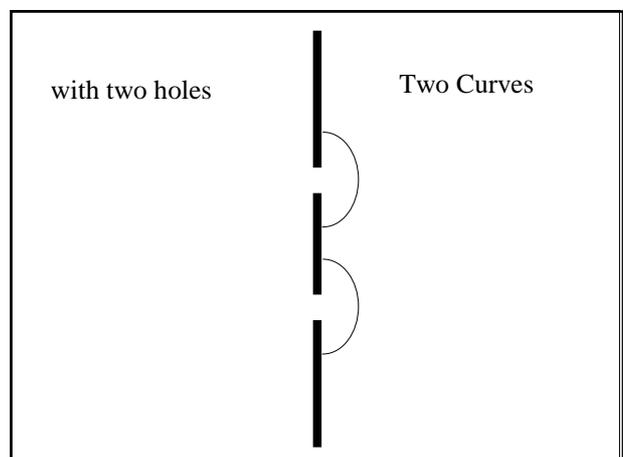
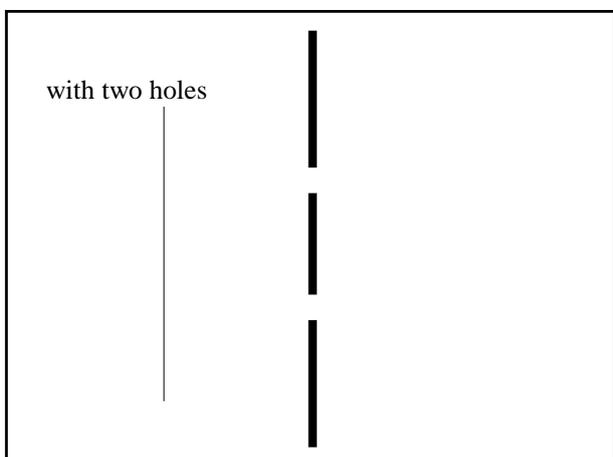
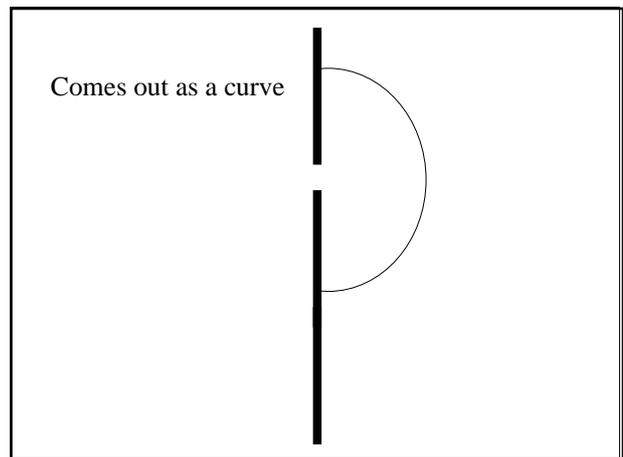
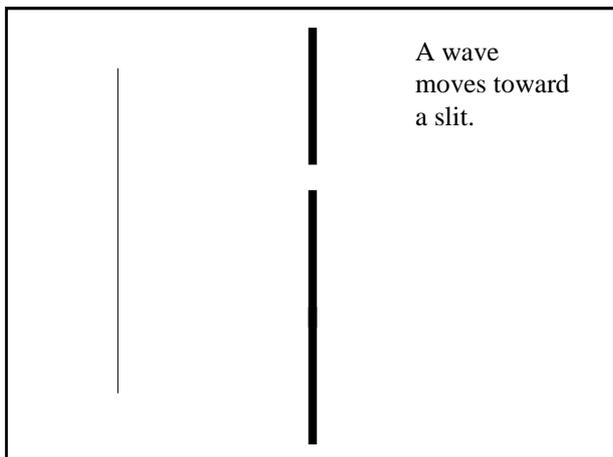
- of an electron with a mass of 9.11×10^{-31} kg traveling at 1.0×10^7 m/s?
- Of a softball with a mass of 0.10 kg moving at 125 mi/hr?

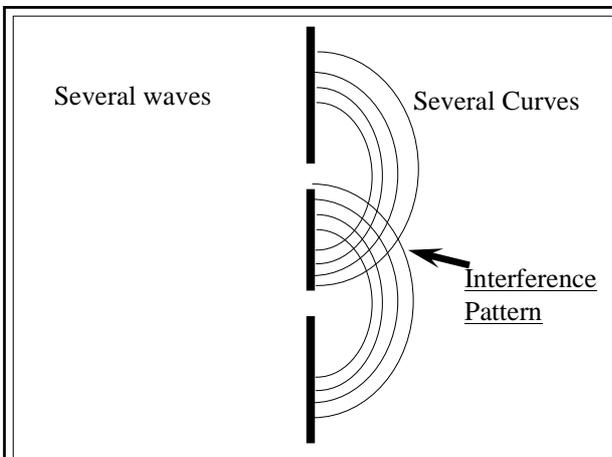
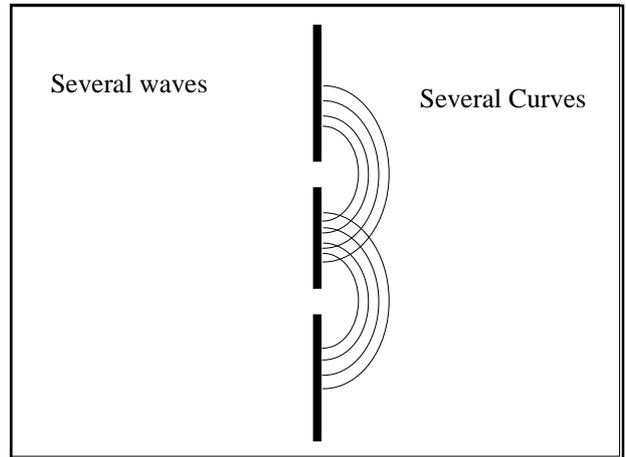
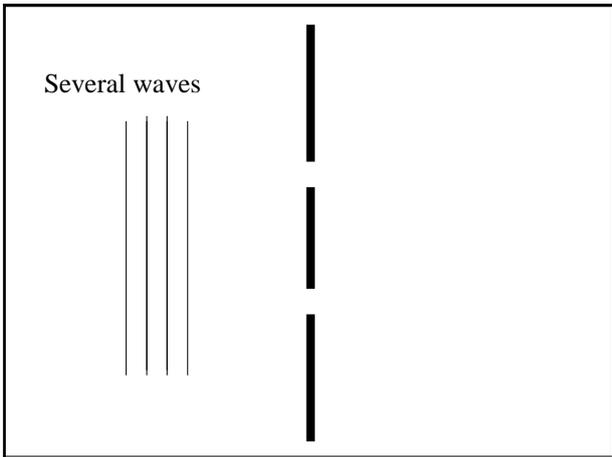
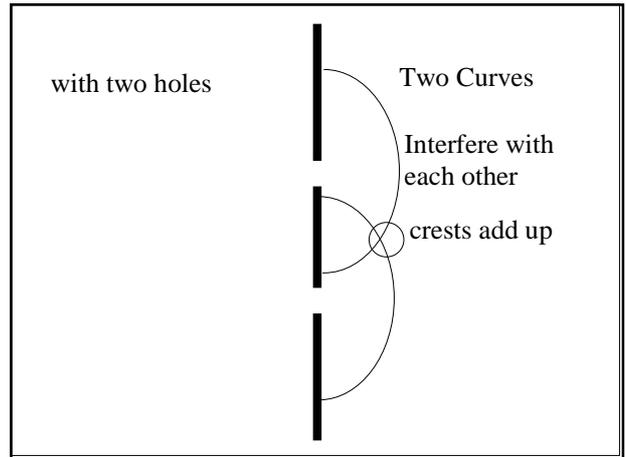
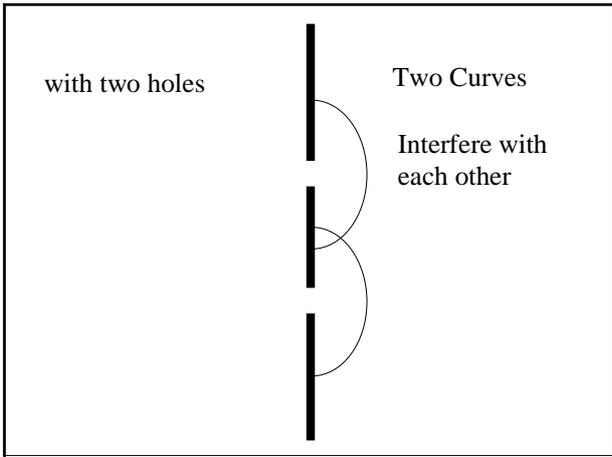
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How do they know?

- When light passes through, or reflects off, a series of thinly spaced lines, it creates a rainbow effect
- because the waves interfere with each other.

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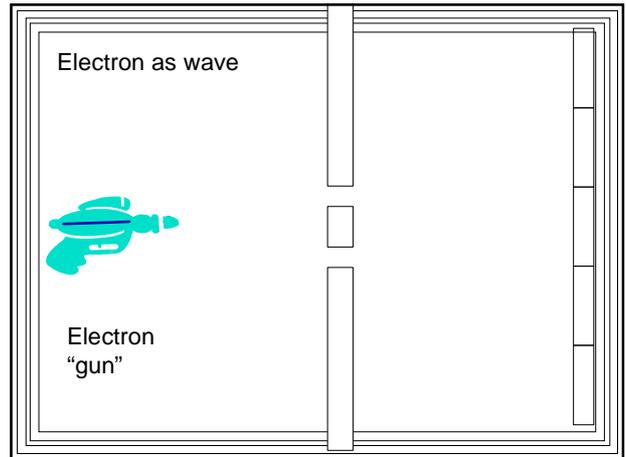
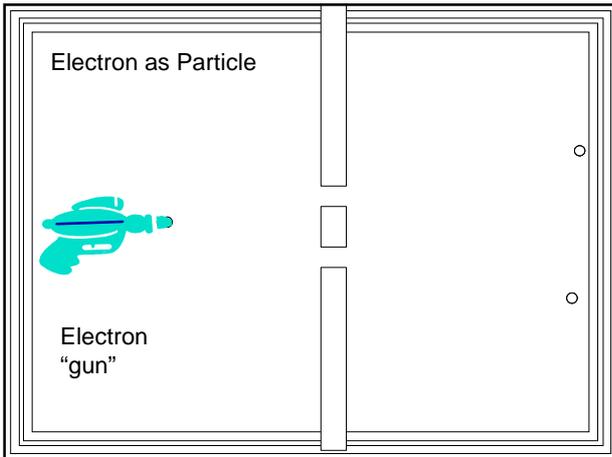




What will an electron do?

- It has mass, so it is matter.
- A particle can only go through one hole
- A wave goes through both holes
- Light shows interference patterns

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Which did it do?

- ⊙ It made the diffraction pattern
- ⊙ The electron is a wave
- ⊙ Led to Schrödingers equation

What will an electron do?

- An electron does go though both, and makes an interference pattern.
- It behaves like a wave.
- Other matter has wavelengths too short to notice.

Image

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Spectrum

- The range of frequencies present in light.
- White light has a continuous spectrum.
- All the colors are possible.
- A rainbow.

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Hydrogen spectrum

- Emission spectrum because these are the colors it gives off or emits
- Called a line spectrum.
- There are just a few discrete lines showing

410 nm 434 nm 486 nm 656 nm

• Spectrum

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What this means

- Only certain energies are allowed for the hydrogen atom.
- Can only give off certain energies.
- Use $\Delta E = hv = hc / \lambda$
- Energy in the atom is quantized

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Niels Bohr

- Developed the quantum model of the hydrogen atom.
- He said the atom was like a solar system
- The electrons were attracted to the nucleus because of opposite charges.
- Didn't fall in to the nucleus because it was moving around

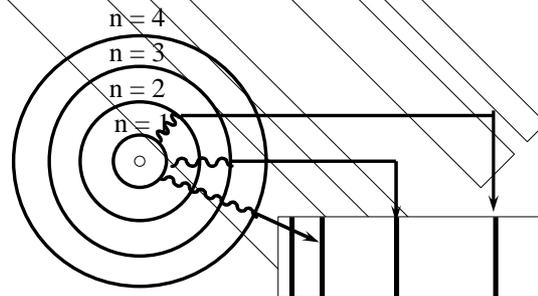
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The Bohr Ring Atom

- He didn't know why but only certain energies were allowed.
- He called these allowed energies energy levels.
- Putting energy into the atom moved the electron away from the nucleus
- From ground state to excited state.
- When it returns to ground state it gives off light of a certain energy

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The Bohr Ring Atom



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The Bohr Model

- n is the energy level
- for each energy level the energy is
- Z is the nuclear charge, which is +1 for hydrogen.
- $E = -2.178 \times 10^{-18} \text{ J } (Z^2 / n^2)$
- n = 1 is called the ground state
- when the electron is removed, n = ∞
- E = 0

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We are worried about the change

- When the electron moves from one energy level to another.
- $\Delta E = E_{\text{final}} - E_{\text{initial}}$
- $\Delta E = -2.178 \times 10^{-18} \text{ J } Z^2 (1/n_f^2 - 1/n_i^2)$

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Examples

- Calculate the energy need to move an electron from its to the third energy level.
- Calculate the energy released when an electron moves from $n=4$ to $n=2$ in a hydrogen atom.
- Calculate the energy released when an electron moves from $n=5$ to $n=3$ in a He^{+1} ion

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When is it true?

- Only for hydrogen atoms and other mono-electronic species.
- Why the negative sign?
- To increase the energy of the electron you make it further to the nucleus.
- the maximum energy an electron can have is zero, at an infinite distance.

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The Bohr Model

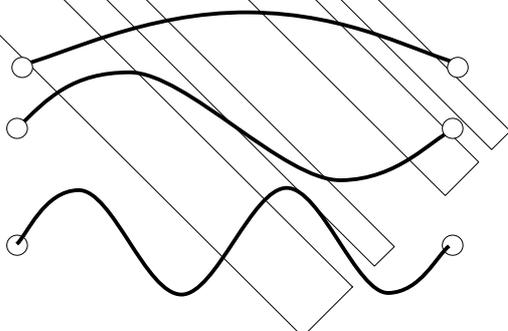
- Doesn't work
- only works for hydrogen atoms
- electrons don't move in circles
- the quantization of energy is right, but not because they are circling like planets.

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The Quantum Mechanical Model

- A totally new approach
- De Broglie said matter could be like a wave.
- De Broglie said they were like standing waves.
- The vibrations of a stringed instrument

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What's possible?

- You can only have a standing wave if you have complete waves.
- There are only certain allowed waves.
- In the atom there are certain allowed waves called electrons.
- 1925 Erwin Schrodinger described the wave function of the electron
- Much math, but what is important are the solutions

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Schrödinger's Equation

- The wave function is a $F(x, y, z)$
- Actually $F(r, \theta, \phi)$
- Solutions to the equation are called orbitals.
- These are not Bohr orbits.
- Each solution is tied to a certain energy
- These are the energy levels

•[Animation](#)

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There is a limit to what we can know

- We can't know how the electron is moving or how it gets from one energy level to another.
- The Heisenberg Uncertainty Principle
- There is a limit to how well we can know both the position and the momentum of an object.

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Mathematically

- $\Delta x \cdot \Delta(mv) > h/4\pi$
- Δx is the uncertainty in the position
- $\Delta(mv)$ is the uncertainty in the momentum.
- the minimum uncertainty is $h/4\pi$

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Examples

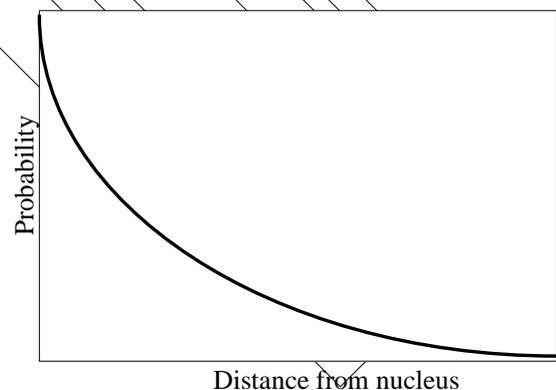
- What is the uncertainty in the position of an electron, mass 9.31×10^{-31} kg with an uncertainty in the speed of 0.100 m/s
- What is the uncertainty in the position of a baseball, mass 0.145 kg with an uncertainty in the speed of 0.100 m/s

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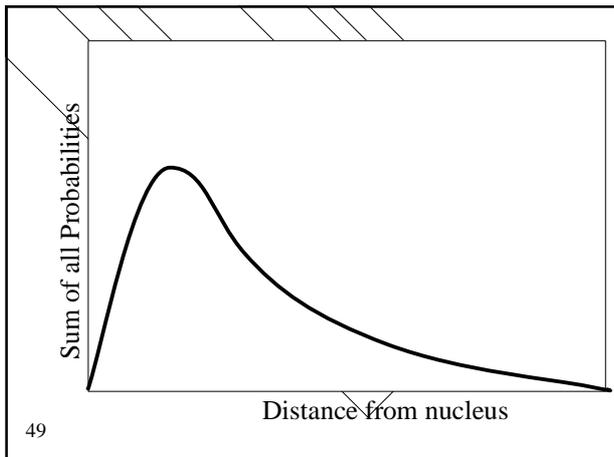
What does the wave Function mean?

- nothing.
- it is not possible to visually map it.
- The square of the function is the probability of finding an electron near a particular spot.
- best way to visualize it is by mapping the places where the electron is likely to be found.

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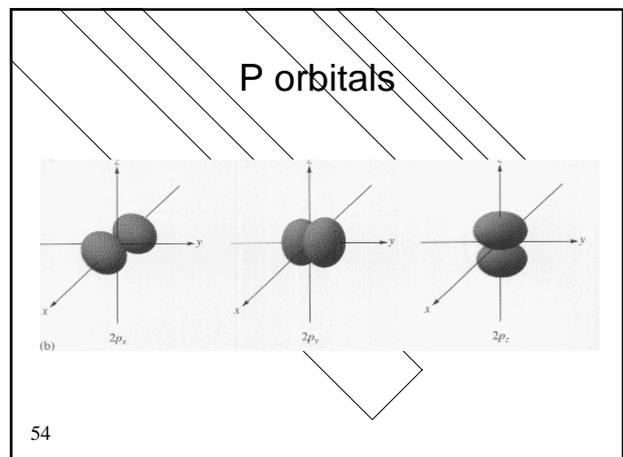
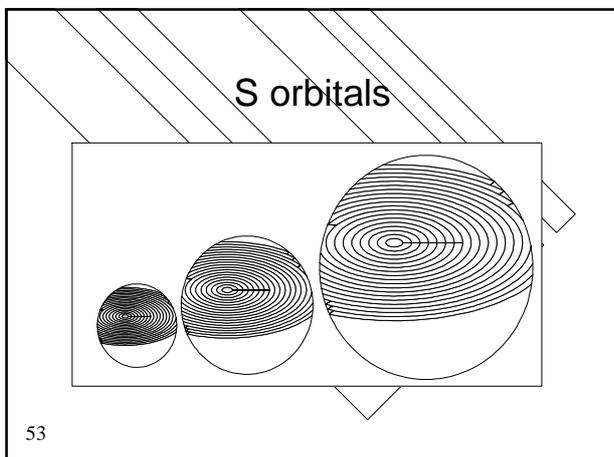
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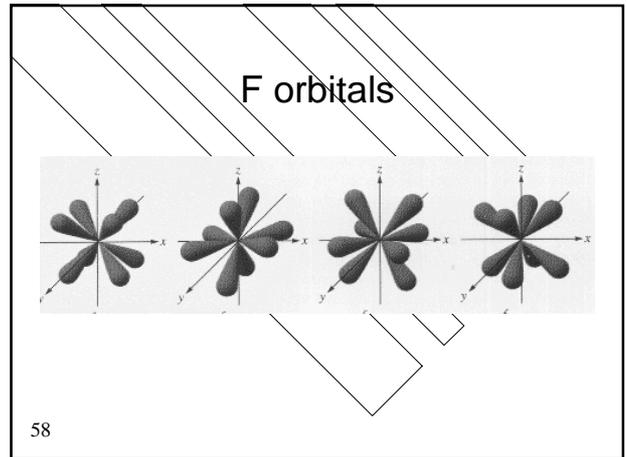
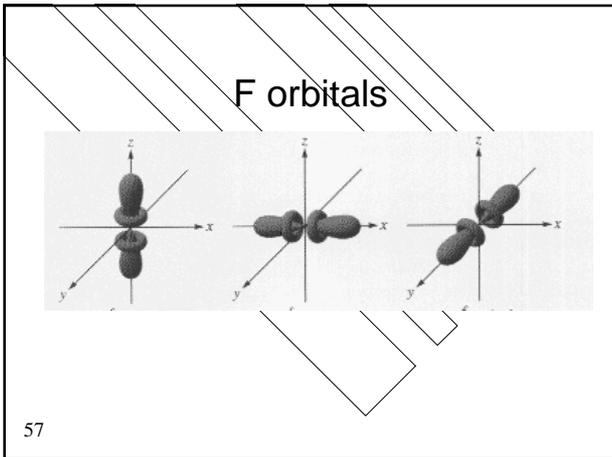
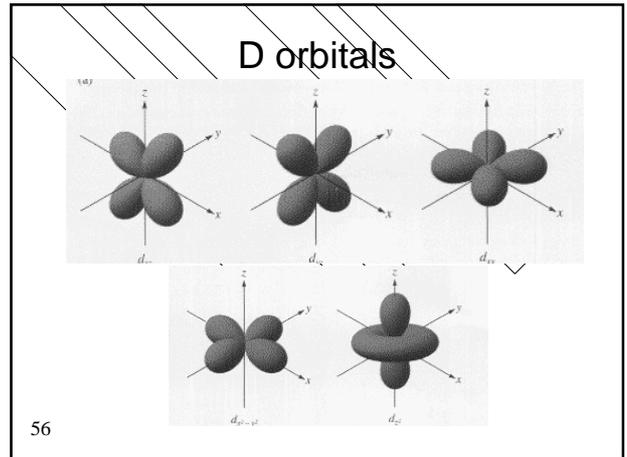
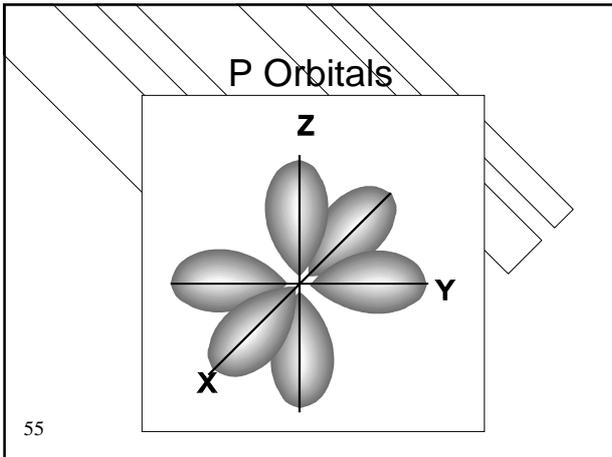


- ### Defining the size
- The nodal surface.
 - The size that encloses 90% to the total electron probability.
 - NOT at a certain distance, but a most likely distance.
 - For the first solution it is a sphere.
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- ### Quantum Numbers
- There are many solutions to Schrödinger's equation
 - Each solution can be described with quantum numbers that describe some aspect of the solution.
 - Principal quantum number (n) size and energy of an orbital
 - Has integer values >0
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- ### Quantum numbers
- Angular momentum quantum number l
 - shape of the orbital
 - integer values from 0 to $n-1$
 - $l = 0$ is called s
 - $l = 1$ is called p
 - $l = 2$ is called d
 - $l = 3$ is called f
 - $l = 4$ is called g
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Quantum numbers

- **Magnetic quantum number (m_l)**
 - integer values between -l and +l
 - tells direction in each shape
- **Electron spin quantum number (m_s)**
 - Can have 2 values
 - either +1/2 or -1/2

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1. A
 2. B
 3. C
 4. A
 5. B
 6. A
 7. B
 8. A
 9. A
- 60

Polyelectronic Atoms

- More than one electron
- three energy contributions
- The kinetic energy of moving electrons
- The potential energy of the attraction between the nucleus and the electrons.
- The potential energy from repulsion of electrons

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Polyelectronic atoms

- Can't solve Schrödinger's equation exactly
- Difficulty is repulsion of other electrons.
- Solution is to treat each electron as if it were effected by the net field of charge from the attraction of the nucleus and the repulsion of the electrons.
- Effective nuclear charge

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Sodium Atom

11 electrons



10 other electrons

e⁻



e⁻

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Effective Nuclear charge

- Can be calculated from
$$E = -2.178 \times 10^{-18} \text{ J } (Z_{\text{eff}}^2 / n^2)$$
- and
- $\Delta E = -2.178 \times 10^{-18} \text{ J } Z_{\text{eff}}^2 (1/n_f^2 - 1/n_i^2)$

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The Periodic Table

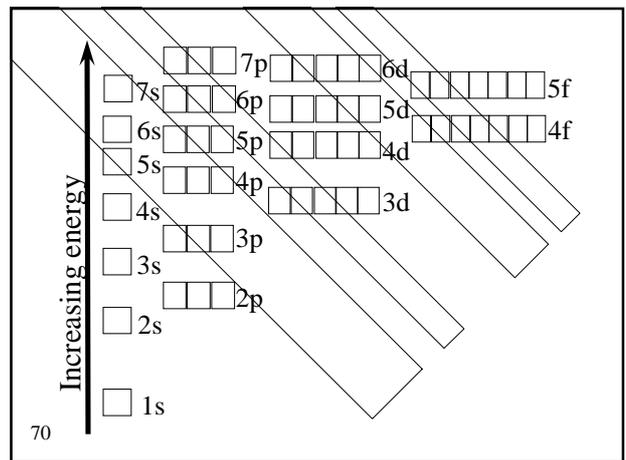
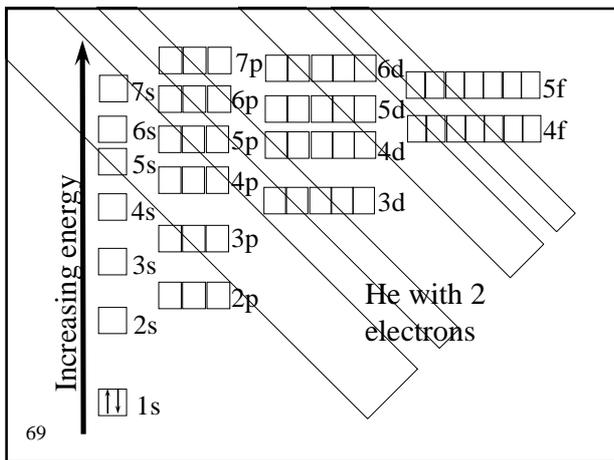
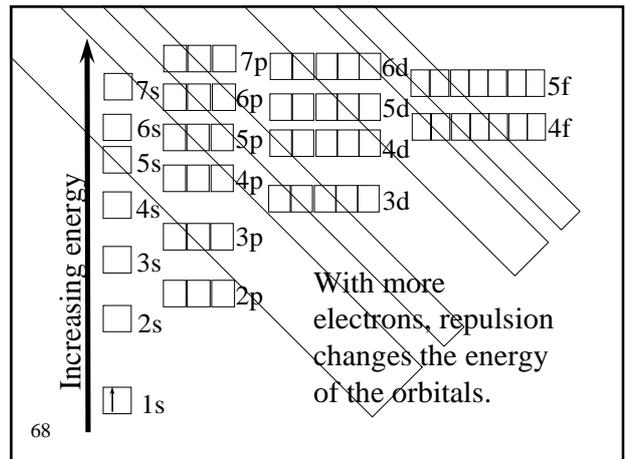
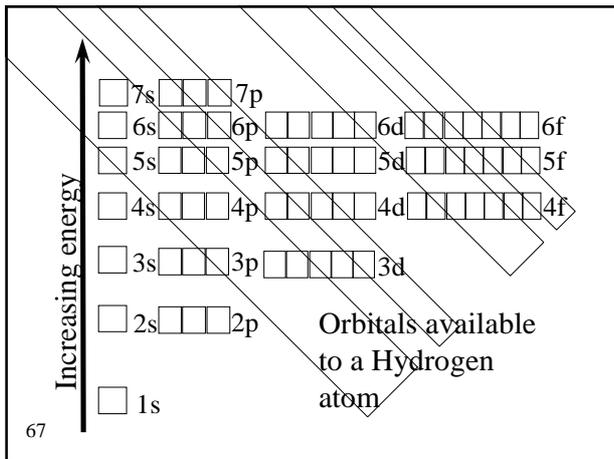
- Developed independently by German Julius Lothar Meyer and Russian Dmitri Mendeleev (1870's)
- Didn't know much about atom.
- Put in columns by similar properties.
- Predicted properties of missing elements.

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Aufbau Principle

- Aufbau is German for building up
- As the protons are added one by one, the electrons fill up hydrogen-like orbitals.
- Fill up in order of energy

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Details

- **Valence electrons-** the electrons in the outermost energy levels (not d).
- **Core electrons-** the inner electrons
- **Hund's Rule-** The lowest energy configuration for an atom is the one that has the maximum number of unpaired electrons in the orbital.
- **C** $1s^2 2s^2 2p^2$

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Fill from the bottom up following the arrows

- $1s^2 2s^2 2p^6 3s^2 3p^6 4s^2 3d^{10} 4p^6 5s^2 4d^{10} 5p^6 6s^2$
- **18** electrons

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Details

- Elements in the same column have the same electron configuration.
- Put in columns because of similar properties.
- Similar properties because of electron configuration.
- Noble gases have filled energy levels.
- Transition metals are filling the d orbitals

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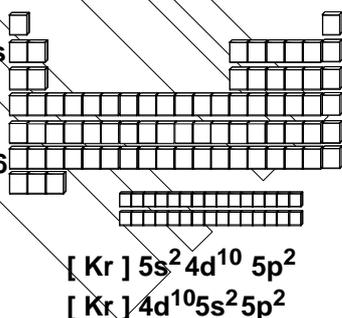
The Shorthand

- Write the symbol of the noble gas before the element
- Then the rest of the electrons.
- Aluminum - full configuration
- $1s^2 2s^2 2p^6 3s^2 3p^1$
- Ne is $1s^2 2s^2 2p^6$
- so Al is $[\text{Ne}] 3s^2 3p^1$

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The Shorthand

Sn- 50 electrons
The noble gas before it is Kr
Takes care of 36
Next $5s^2$
Then $4d^{10}$
Finally $5p^2$



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Exceptions

- Ti = $[\text{Ar}] 4s^2 3d^2$
- V = $[\text{Ar}] 4s^2 3d^3$
- Cr = $[\text{Ar}] 4s^1 3d^5$
- Mn = $[\text{Ar}] 4s^2 3d^5$
- Half filled orbitals
- Scientists aren't certain why it happens
- same for Cu $[\text{Ar}] 3d^{10} 4s^1$

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More exceptions

- Lanthanum La: $[\text{Xe}] 5d^1 6s^2$
- Cerium Ce: $[\text{Xe}] 5d^1 4f^1 6s^2$
- Promethium Pr: $[\text{Xe}] 4f^3 6s^2$
- Gadolinium Gd: $[\text{Xe}] 4f^7 5d^1 6s^2$
- Lutetium Lu: $[\text{Xe}] 4f^{14} 5d^1 6s^2$
- We'll just pretend that all except Cu and Cr follow the rules.

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More Polyelectronic

- We can use Z_{eff} to predict properties, if we determine it's pattern on the periodic table.
- Can use the amount of energy it takes to remove an electron for this.
- Ionization Energy- The energy necessary to remove an electron from a gaseous atom.

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Remember this

- $E = -2.18 \times 10^{-18} \text{ J}(Z^2/n^2)$
- was true for Bohr atom.
- Can be derived from quantum mechanical model as well
- for a mole of electrons being removed
- $E = (6.02 \times 10^{23}/\text{mol})2.18 \times 10^{-18} \text{ J}(Z^2/n^2)$
- $E = 1.13 \times 10^6 \text{ J/mol}(Z^2/n^2)$
- $E = 1310 \text{ kJ/mol}(Z^2/n^2)$

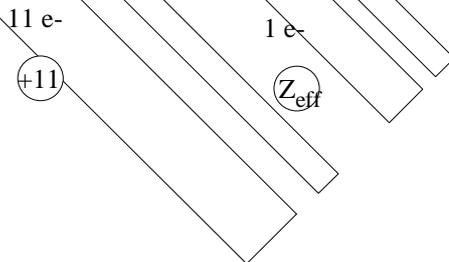
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Example

- Calculate the ionization energy of B^{+4}

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Remember our simplified atom



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This gives us

- Ionization energy = $1310 \text{ kJ/mol}(Z_{\text{eff}}^2/n^2)$
- So we can measure Z_{eff}
- The ionization energy for a 1s electron from sodium is $1.39 \times 10^5 \text{ kJ/mol}$.
- The ionization energy for a 3s electron from sodium is $4.95 \times 10^2 \text{ kJ/mol}$.
- Demonstrates shielding

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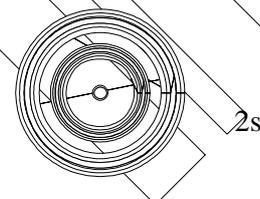
Shielding

- Electrons on the higher energy levels tend to be farther out.
- Have to look through the other electrons to see the nucleus.
- They are less effected by the nucleus.
- lower effective nuclear charge
- If shielding were completely effective, $Z_{\text{eff}} = 1$
- Why isn't it?

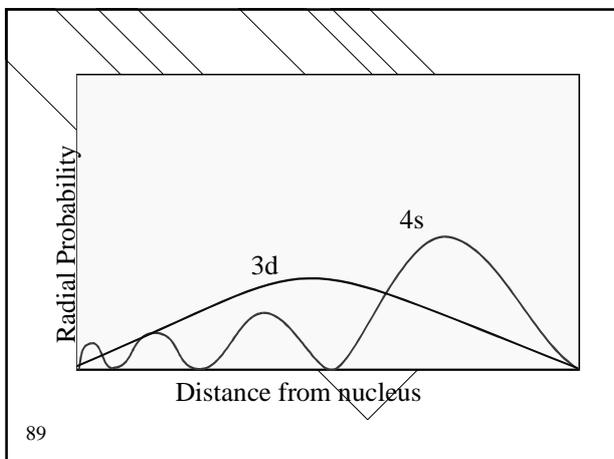
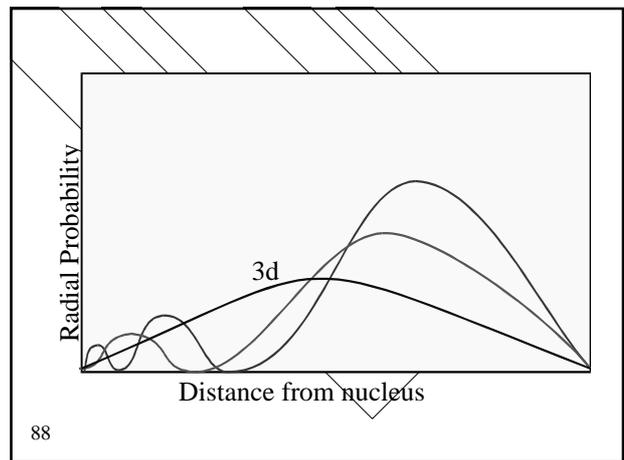
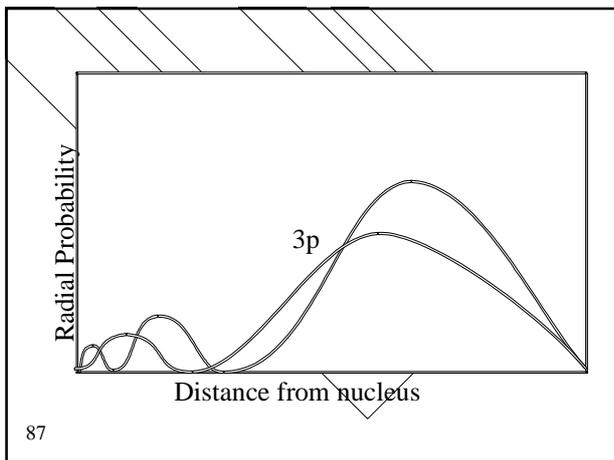
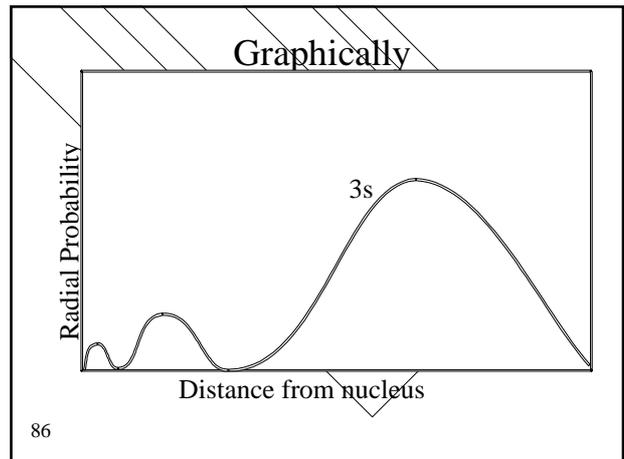
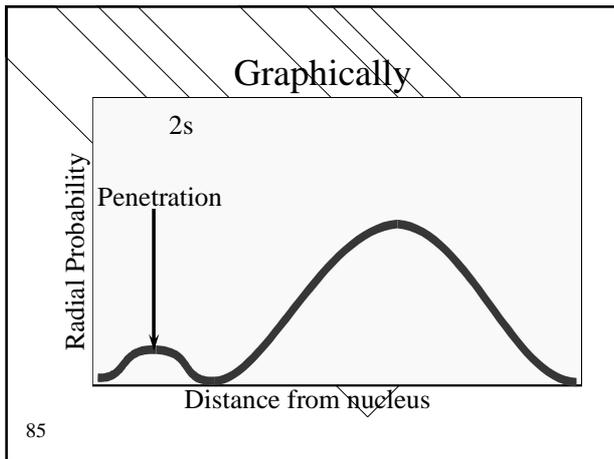
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Penetration

- There are levels to the electron distribution for each orbital



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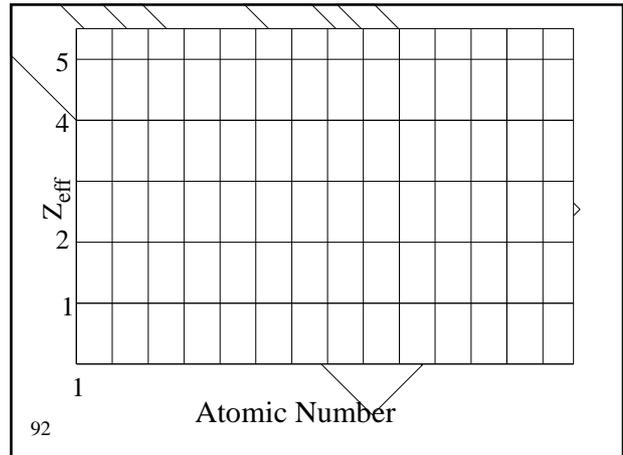


- Penetration effect**
- The outer energy levels penetrate the inner levels so the shielding of the core electrons is not totally effective.
 - from most penetration to least penetration the order is
 - $ns > np > nd > nf$ (within the same energy level)
 - This is what gives us our order of filling, electrons prefer s and p
- 90

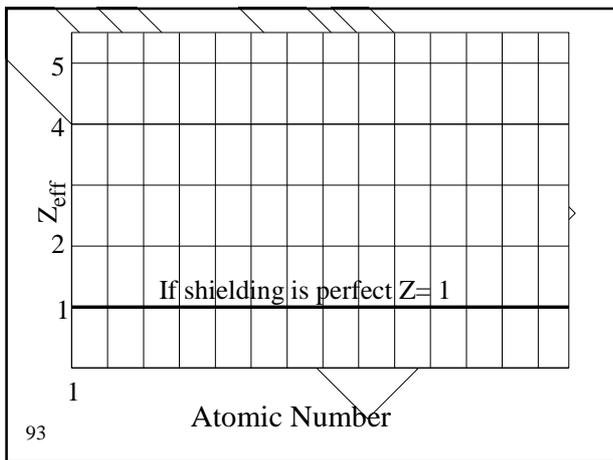
How orbitals differ

- The more positive the nucleus, the smaller the orbital.
- A sodium 1s orbital is the same shape as a hydrogen 1s orbital, but it is smaller because the electron is more strongly attracted to the nucleus.
- The helium 1s is smaller as well
- This provides for better shielding

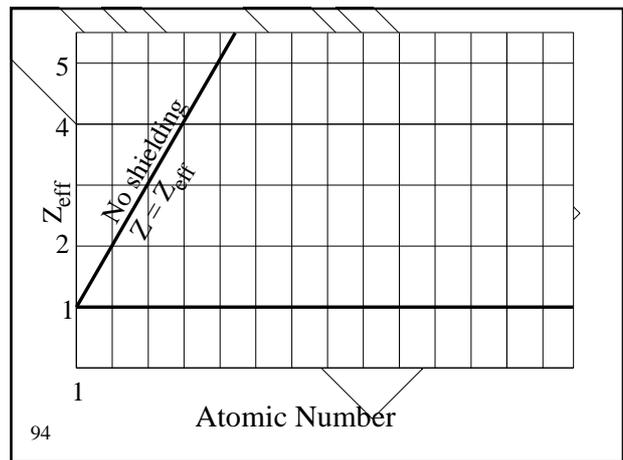
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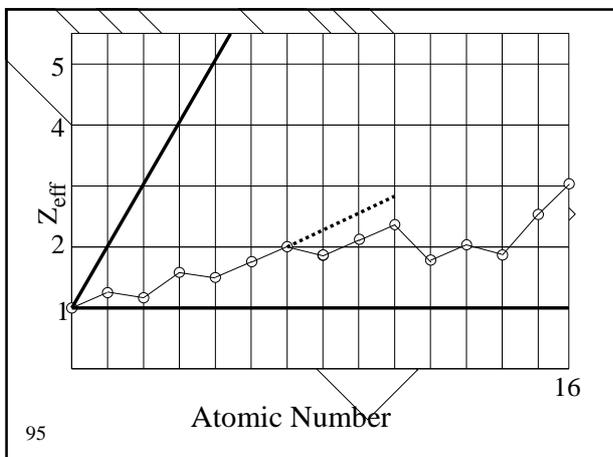
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Periodic Trends

- Ionization energy the energy required to remove an electron from a gaseous atom
- Highest energy electron removed first.
- First ionization energy (I_1) is that required to remove the first electron.
- Second ionization energy (I_2) - the second electron
- etc. etc.

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Trends in ionization energy

- for Mg
 - $I_1 = 735$ kJ/mole
 - $I_2 = 1445$ kJ/mole
 - $I_3 = 7730$ kJ/mole
- The effective nuclear charge increases as you remove electrons.
- It takes much more energy to remove a core electron than a valence electron because there is less shielding

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Explain this trend

- For Al
 - $I_1 = 580$ kJ/mole
 - $I_2 = 1815$ kJ/mole
 - $I_3 = 2740$ kJ/mole
 - $I_4 = 11,600$ kJ/mole

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Across a Period

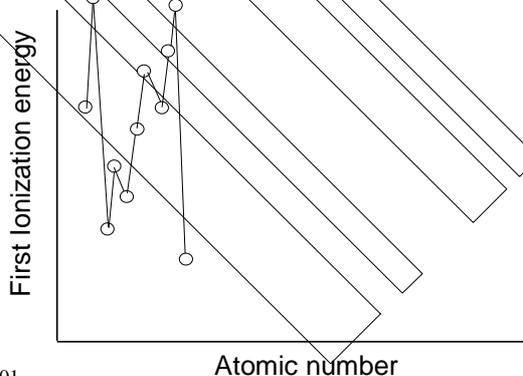
- Generally from left to right, I_1 increases because
 - there is a greater nuclear charge with the same shielding.
 - As you go down a group I_1 decreases because electrons are further away and there is more shielding

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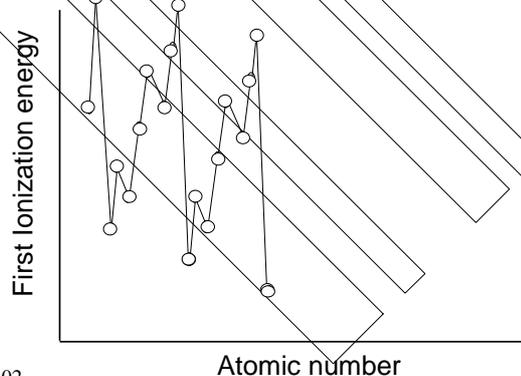
It is not that simple

- Z_{eff} changes as you go across a period, so will I_1
- Half-filled and filled orbitals are harder to remove electrons from
- here's what it looks like

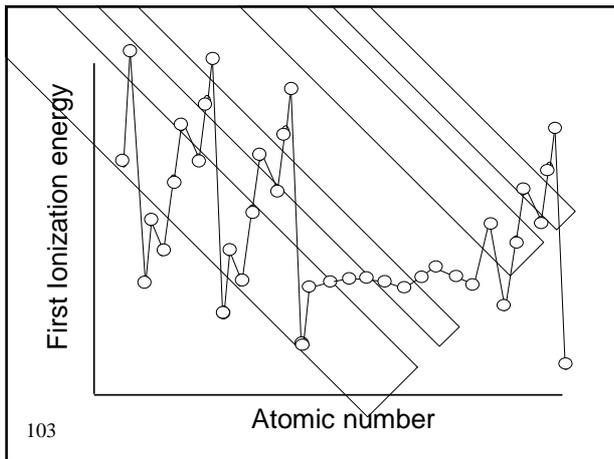
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Atomic Size

- First problem where do you start measuring
- The electron cloud doesn't have a definite edge.
- They get around this by measuring more than 1 atom at a time

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Atomic Size

A diagram showing two overlapping circles representing atoms. A horizontal line connects the centers of the two atoms, and a vertical line segment from the center of one atom to this horizontal line is labeled 'Radius'. Below the diagram, a definition states: 'Atomic Radius = half the distance between two nuclei of a diatomic molecule'.

Radius

- Atomic Radius = half the distance between two nuclei of a diatomic molecule

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Trends in Atomic Size

- Influenced by two factors
- Shielding
- More shielding is further away
- Charge on nucleus
- More charge pulls electrons in closer

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Group trends

- As we go down a group
- Each atom has another energy level
- So the atoms get bigger

A vertical diagram showing five spheres of increasing size, labeled from top to bottom: H, Li, Na, K, and Rb. The spheres represent the relative sizes of atoms in Group 1 of the periodic table, illustrating that atomic size increases as you move down the group.

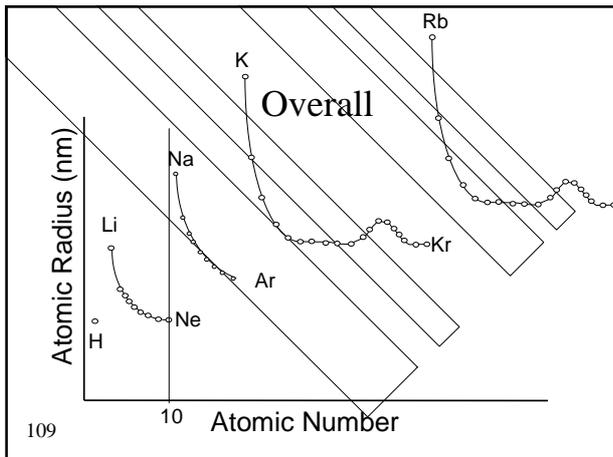
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Periodic Trends

- As you go across a period the radius gets smaller.
- Same energy level
- More nuclear charge
- Outermost electrons are closer

A horizontal diagram showing seven spheres of decreasing size, labeled from left to right: Na, Mg, Al, Si, P, S, and Cl. The spheres represent the relative sizes of atoms in Period 3 of the periodic table, illustrating that atomic size decreases as you move across a period from left to right.

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Electron Affinity

- The energy change associated with adding an electron to a gaseous atom
- High electron affinity gives you energy-
- exothermic
- More negative
- Increase (more -) from left to right
 - greater nuclear charge.
- Decrease as we go down a group
 - More shielding

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Ionic Size

- Cations form by losing electrons
- Cations are smaller than the atom they come from
- Metals form cations
- Cations of representative elements have noble gas configuration.

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Ionic size

- Anions form by gaining electrons
- Anions are bigger than the atom they come from
- Nonmetals form anions
- Anions of representative elements have noble gas configuration.

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Configuration of Ions

- Ions always have noble gas configuration
- Na is $1s^2 2s^2 2p^6 3s^1$
- Forms a 1+ ion - $1s^2 2s^2 2p^6$
- Same configuration as neon
- Metals form ions with the configuration of the noble gas before them - they lose electrons

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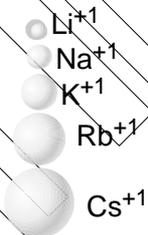
Configuration of Ions

- Non-metals form ions by gaining electrons to achieve noble gas configuration.
- They end up with the configuration of the noble gas after them.

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Group trends

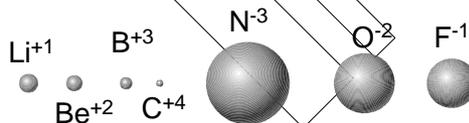
- Adding energy level
- Ions get bigger as you go down



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Periodic Trends

- Across the period nuclear charge increases so they get smaller.
- Energy level changes between anions and cations



116

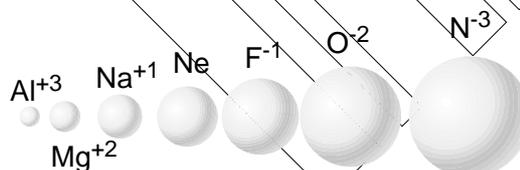
Size of Isoelectronic ions

- Iso - same
- Iso electronic ions have the same # of electrons
- Al⁺³ Mg⁺² Na⁺¹ Ne F⁻¹ O⁻² and N⁻³
- all have 10 electrons
- all have the configuration 1s²2s²2p⁶

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Size of Isoelectronic ions

- Positive ions have more protons so they are smaller



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Electronegativity

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Electronegativity

- The tendency for an atom to attract electrons to itself when it is chemically combined with another element.
- How "greedy"
- Big electronegativity means it pulls the electron toward itself.
- Atoms with large negative electron affinity have larger electronegativity.

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Group Trend

- The further down a group more shielding
- Less attracted (Z_{eff})
- Low electronegativity.

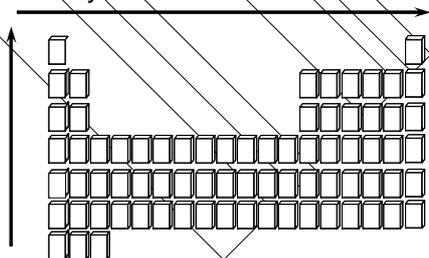
121

Periodic Trend

- Metals are at the left end
- Low ionization energy- low effective nuclear charge
- Low electronegativity
- At the right end are the nonmetals
- More negative electron affinity
- High electronegativity
- Except noble gases

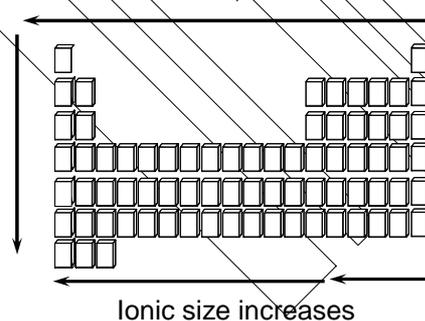
122

Ionization energy, electronegativity
Electron affinity INCREASE



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Atomic size increases,



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Parts of the Periodic Table

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The information it hides

- Know the special groups
- It is the number and type of valence electrons that determine an atom's chemistry.
- You can get the electron configuration from it.
- Metals lose electrons have the lowest IE
- Non metals- gain electrons most negative electron affinities

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The Alkali Metals

- Doesn't include hydrogen- it behaves as a non-metal
- decrease in IE
- increase in radius
- Decrease in density
- decrease in melting point
- Behave as reducing agents

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Reducing ability

- Lower IE < better reducing agents
- Cs > Rb > K > Na > Li
- works for solids, but not in aqueous solutions.
- In solution Li > K > Na
- Why?
- It's the water -there is an energy change associated with dissolving

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Hydration Energy

- $\text{Li}^+(\text{g}) \rightarrow \text{Li}^+(\text{aq})$ is exothermic
- for Li^+ -510 kJ/mol
- for Na^+ -402 kJ/mol
- for K^+ -314 kJ/mol
- Li is so big because of it has a high charge density, a lot of charge on a small atom.
- Li loses its electron more easily because of this in aqueous solutions

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The reaction with water

- Na and K react explosively with water
- Li doesn't.
- Even though the reaction of Li has a more negative ΔH than that of Na and K
- Na and K melt
- ΔH does not tell you speed of reaction
- More in Chapter 12.

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